

# **Atomic Mass**

# What is an appropriate unit for measuring the mass of a single atom?

- A Gram is much too large
  - 1 Oxygen atom =  $2.65 \times 10^{-23}$ g !!
- A new standard was chosen
  - Atomic mass units (amu)
  - 1.00amu =  $1.66 \times 10^{-24}$ g

# Atomic mass units

- $^{12}\text{C}$  was chosen to be the mass standard for measuring the mass of an atom
  - Abundant, stable, safe isotope
- 1 atom of  $^{12}\text{C}$  was defined as having a mass of exactly 12 amu's
- Therefore, 1 amu =  $1/12$  the mass of a  $^{12}\text{C}$  atom

# Atomic mass

- Why, then, does the periodic table list the atomic mass of carbon as 12.011, and not just 12?
- Carbon shows up in nature as more than one isotope
  - $^{12}\text{C}$ ,  $^{13}\text{C}$ ,  $^{14}\text{C}$
- The higher the mass number, the more mass the atom has

# Atomic mass

- So then, an average of the masses of the isotopes must be used
- But, then, why isn't the atomic mass of carbon 13 amu?

$$(12+13+14)/3 = 13$$

# Atomic mass

- Not all isotopes show up to an equal extent, or as frequently as the others
- A “weighted” average must be used
- The atomic mass of an element is the weighted average of the masses of all the isotopes of that element.

# Calculating average Atomic mass

## Process:

1. multiply each isotope's mass by its percent abundance
  - Use the mass number of the isotope as the mass of the isotope if no other data is given
2. Add the numbers together

# Atomic mass sample problem

- Example problem: potassium exists as three naturally occurring isotopes.  $^{39}\text{K}$  has an abundance of 93.26%,  $^{40}\text{K}$  is 0.01% abundant, and  $^{41}\text{K}$  is 6.73% abundant. What is the atomic mass of potassium?



# Atomic mass sample problem

## Process:

1. multiply each isotope's mass by its percent abundance
  - Use the mass number of the isotope as the mass of the isotope if no other data is given
2. Add the numbers together

$$39 \text{ amu} \times 0.9326 = 36.371 \text{ amu}$$

$$40 \text{ amu} \times 0.0001 = 0.004 \text{ amu}$$

$$41 \text{ amu} \times 0.0673 = \underline{2.759 \text{ amu}}$$

$$39.134 \text{ amu}$$

# Calculate the atomic mass of Silicon

<b>Isotope name</b>	<b>Isotope mass (amu)</b>	<b>Relative Abundance</b>
Silicon-28	27.98	92.21
Silicon-29	28.98	4.70
Silicon-30	29.97	3.09

$$27.98 \times 0.9221 = 25.80$$

$$28.98 \times 0.0470 = 1.36$$

$$29.97 \times 0.0309 = \underline{0.93}$$

28.09 amu

# Follow up questions

Q: How many atoms of silicon are expected to have a mass of exactly 28.09 amu?

A: None of them! It is the average mass of a silicon atom.

Q: How can we use this number as the mass of potassium atoms if none of them actually have this mass?

A: Because individual atoms are so small, we always use extremely large samples ( $\uparrow 10^6$ ) of silicon atoms